

The structure of halo nucleus ^{11}Li and pair transfer reactions

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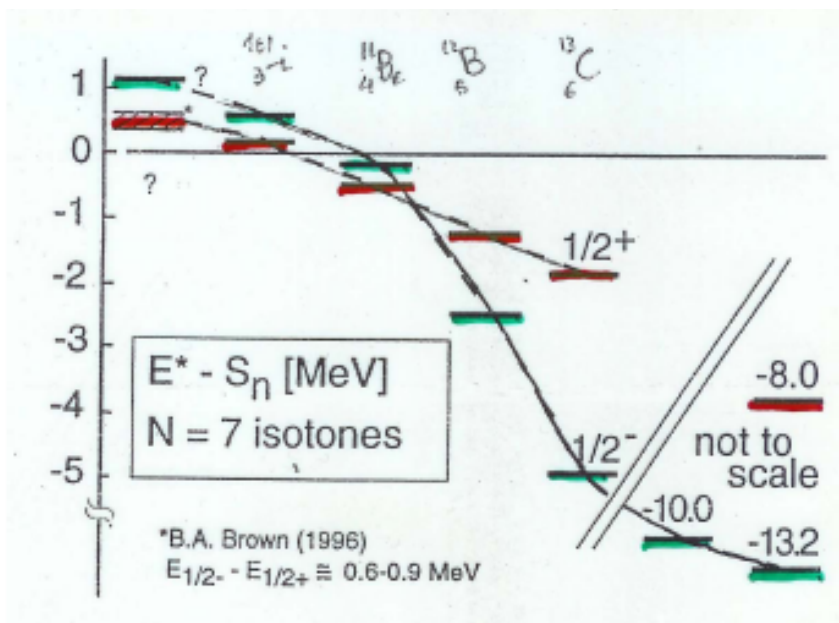
Advances in Nuclear Many-Body Theory, Primosten, 7-10 June 2011

Outline

- The dynamic halo
- Microscopic description of two nucleon transfer reactions

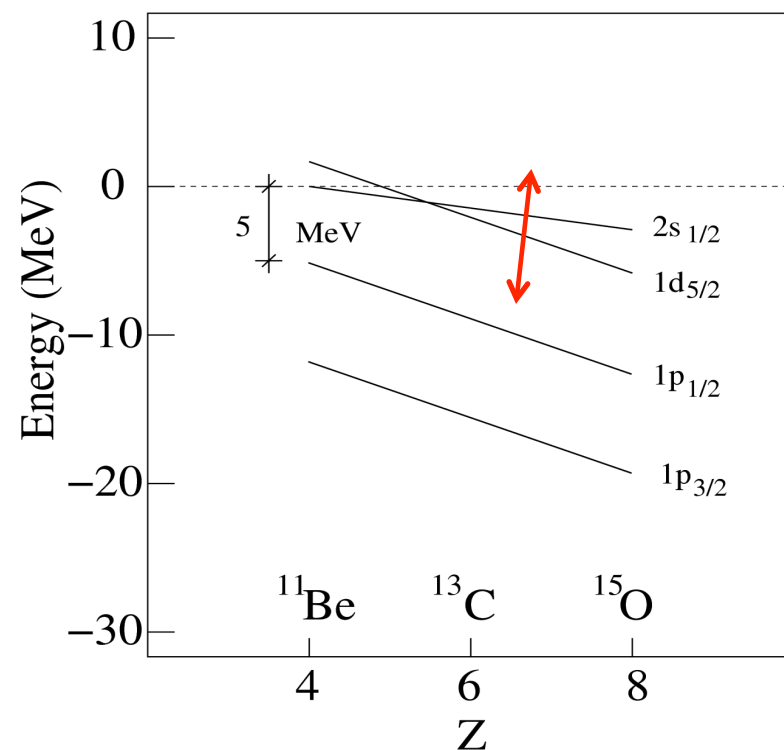
Parity inversion in N=7 isotones

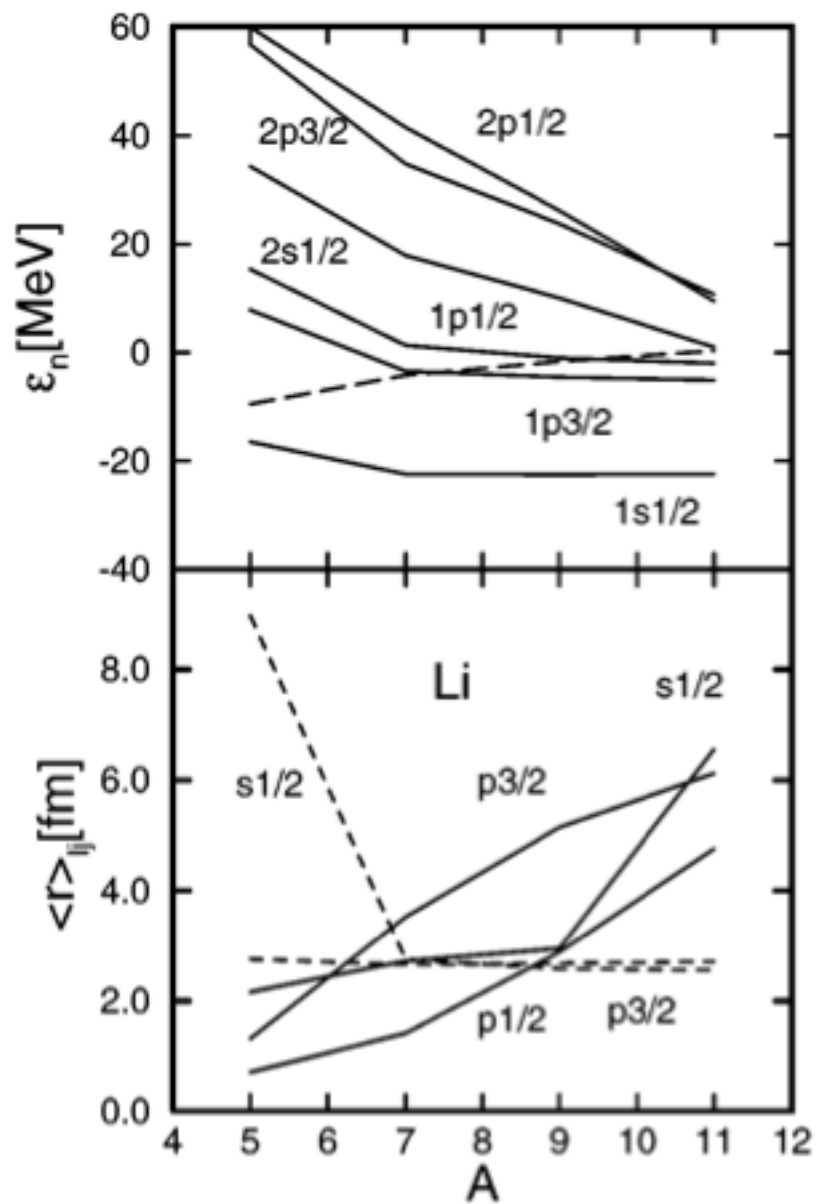
Experimental systematics



Mean-field results

(Sagawa, Brown, Esbensen PLB 309(93)1)

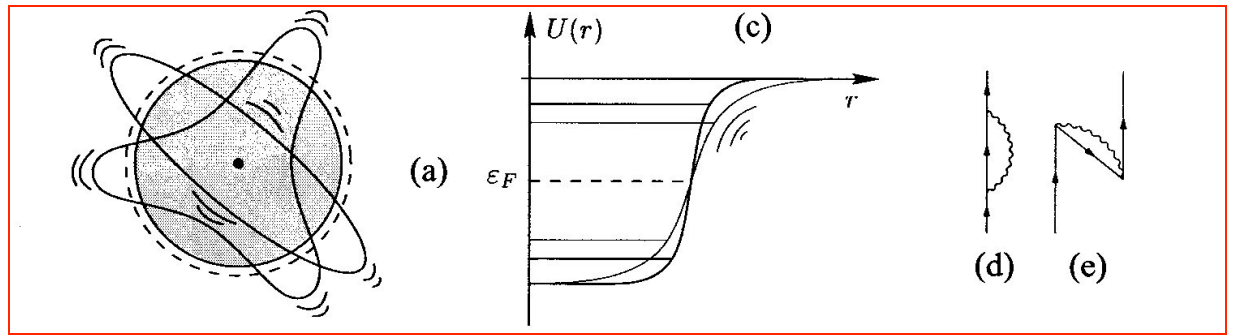




J. Meng and P. Ring,
PRL 77(1998)3963

^{11}Be

Eshift = - 2.5 MeV



H. Sagawa et al., PLB 309 (1993)1

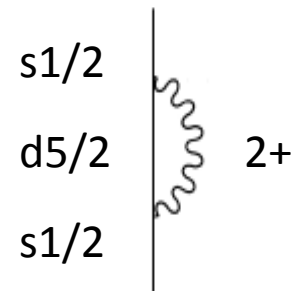
Self-energy

+

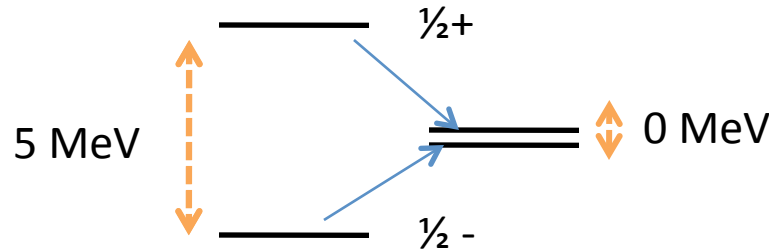
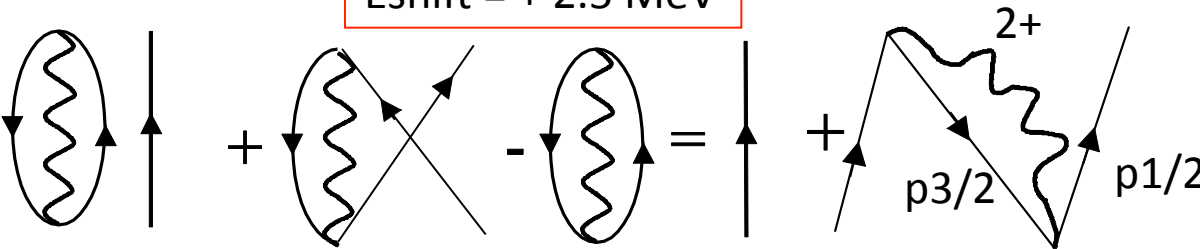
Pauli blocking of core ground state correlations

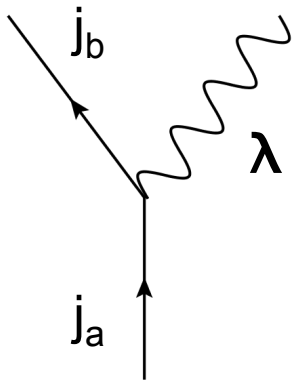
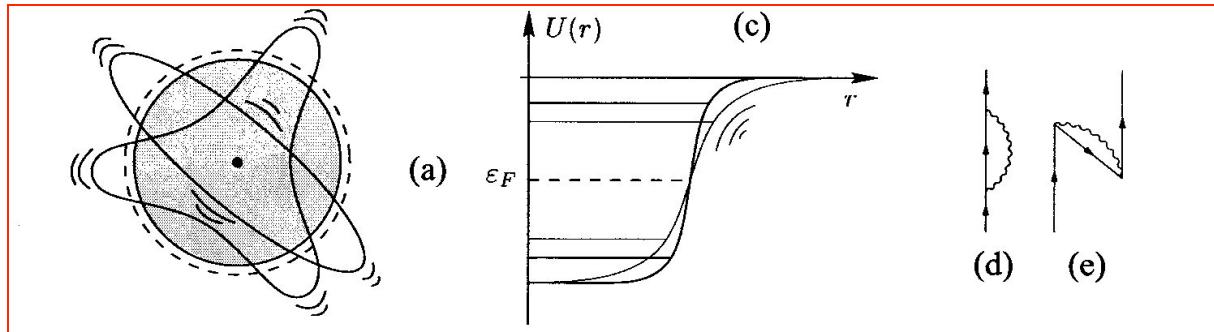


Level inversion



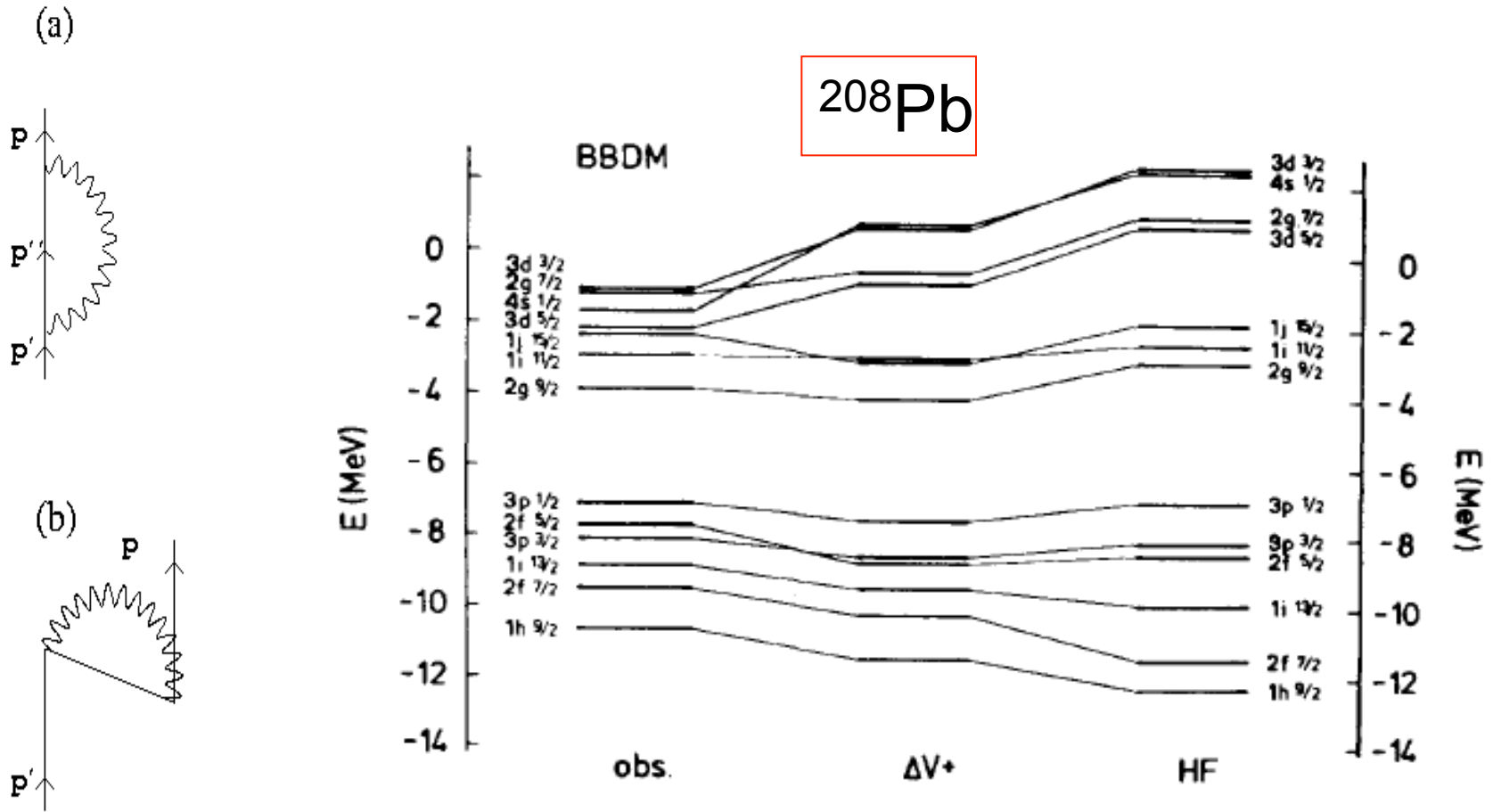
Eshift = + 2.5 MeV

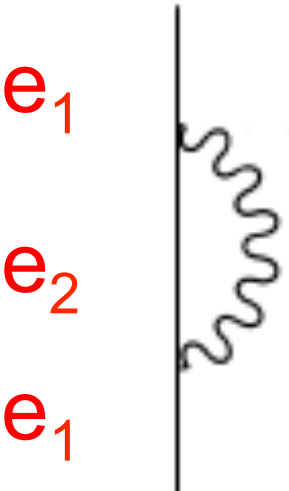




$$= \frac{1}{\sqrt{4\pi}} \langle j_a \lambda | j_b \rangle \beta_\lambda \left\langle j_a \left| \frac{\partial U}{\partial r} \right| j_b \right\rangle = h(a, b \lambda)$$

SELF ENERGY RENORMALIZATION OF SINGLE-PARTICLE STATES: CLOSED SHELL





$$= \frac{V^2}{e_1 - (e_2 + \hbar\omega_\lambda)} \approx -\frac{V^2}{\hbar\omega_\lambda}$$

$$m_\omega \approx \left(1 + \frac{2N(0)V^2}{\hbar\omega_\lambda}\right) m$$

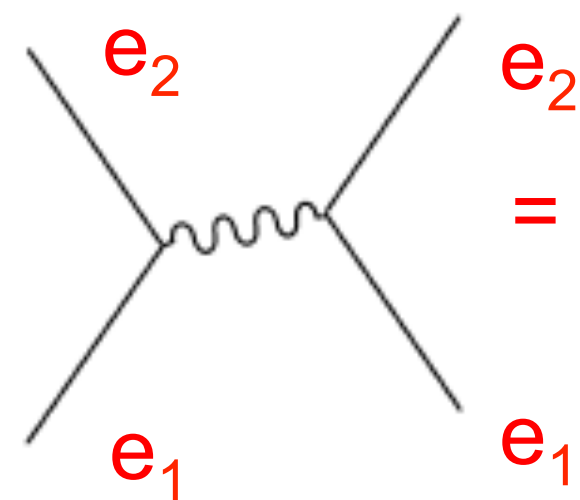
$$m_\omega \approx 1.5m$$

$$\hbar\omega_\lambda \approx 1\text{MeV}$$

$$N(0) \approx 3\text{MeV}^{-1}$$



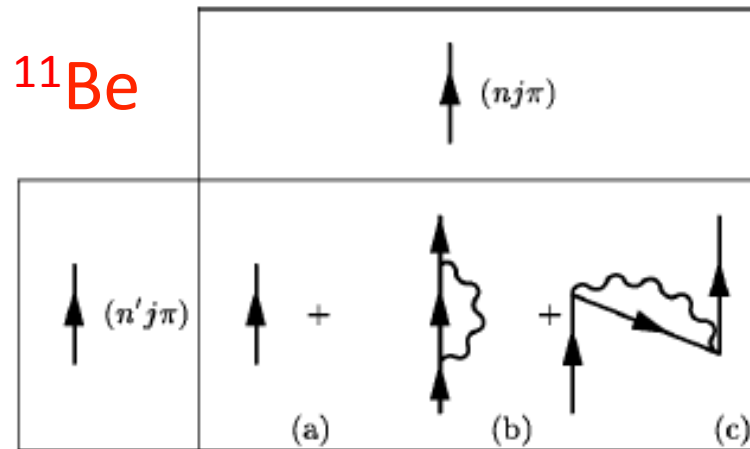
$$V^2 \approx 0.1 \text{ MeV}^2$$



$$= \frac{V^2}{2e_1 - (e_1 + e_2 + \hbar\omega_\lambda)} = \frac{V^2}{e_1 - (e_2 + \hbar\omega_\lambda)} \approx -\frac{V^2}{\hbar\omega_\lambda}$$

$$V_{ind} \approx -0.2\text{MeV}$$

Effective, energy-dependent matrix (Bloch-Horowitz)



Main ingredients of our calculation

Fermionic degrees of freedom:

- s1/2, p1/2, d5/2 Wood-Saxon levels up to 150 MeV (discretized continuum) from a standard (Bohr-Mottelson) Woods-Saxon potential

Bosonic degrees of freedom:

- 2+ and 3- QRPA solutions with energy up to 50 MeV; residual interaction: multipole-multipole separable with the coupling constant tuned to reproduce $E(2^+) = 3.36$ MeV and $0.6 < \beta_2 < 0.7$

Admixture of $d_{5/2} \times 2^+$ configuration
in the $1/2^+$ g.s. of ^{11}Be is about 20%

Calculated ground state

$$|1/2^+\rangle = \sqrt{0.87}|s_{1/2}\rangle + \sqrt{0.13}|d_{5/2} \otimes 2^+\rangle$$

Exp.:

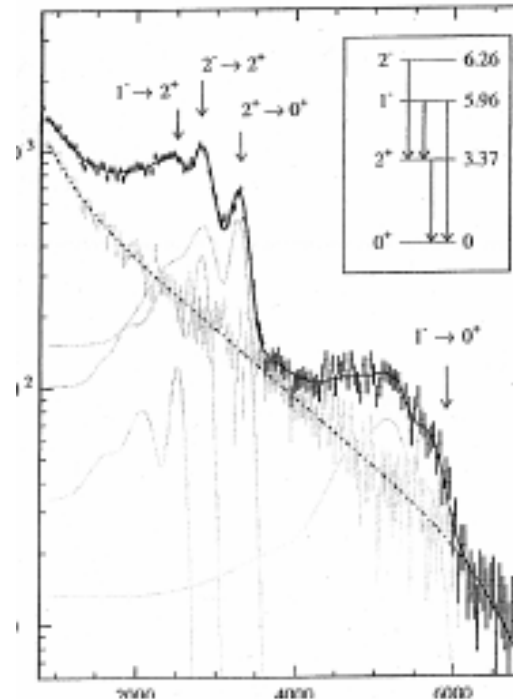
J.S. Winfield et al., Nucl.Phys. **A683** (2001) 48

$$|1/2^+\rangle = \sqrt{0.84}|s_{1/2}\rangle + \sqrt{0.16}|d_{5/2} \otimes 2^+\rangle$$

$^{11}\text{Be}(p,d)^{10}\text{Be}$ in inverse kinematic
detecting both the ground state and
the 2^+ excited state of ^{10}Be .

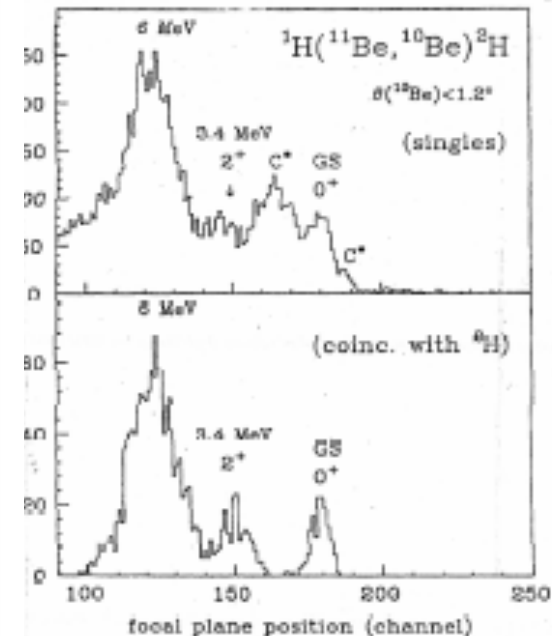
$^9\text{Be}(^{11}\text{Be}, ^{10}\text{Be} + \gamma) X$

T. Aumann et al.
PRL 84(2000)35



$p(^{11}\text{Be}, ^{10}\text{Be})d$

S. Fortier et al.
Phys. Lett. B461(1999)22



A dynamical description of two-neutron halos

^{11}Li

F. Barranco et al. EPJ A11 (2001) 385

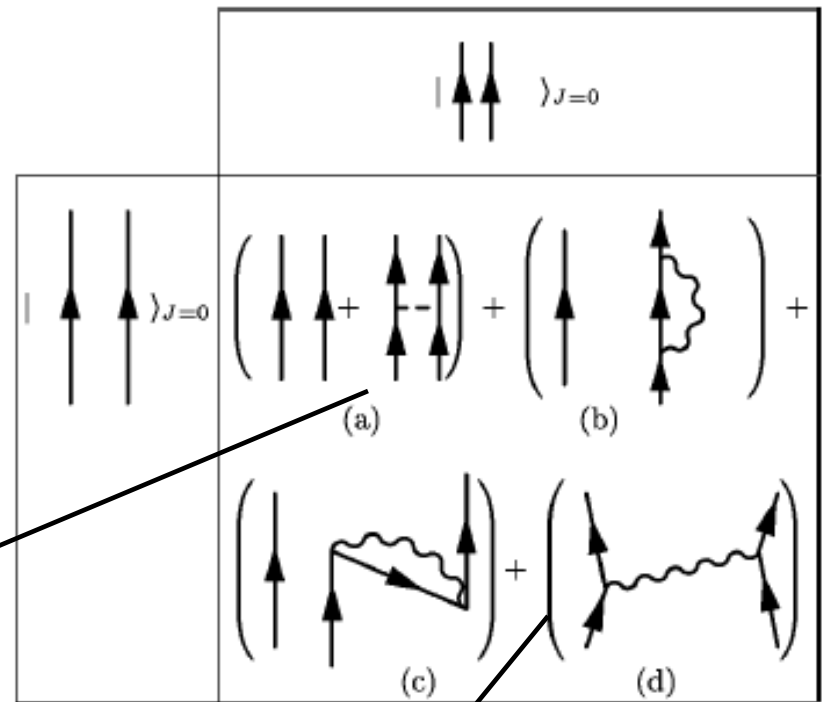
^{12}Be

G. Gori et al. PRC 69 (2004) 041302(R)

Energy-dependent matrix

Bare interaction

Induced interaction



Good agreement between theory and experiment concerning energies and spectroscopic factors

Spectroscopic factors from (12Be,11Be+ γ) reaction to $\frac{1}{2}^+$ and $\frac{1}{2}^-$ final states:

$$S[1/2^-] = 0.37 \pm 0.10$$

$$S[1/2^+] = 0.42 \pm 0.10$$

New result for $S[1/2^+]$ from 11Be(d,p)12Be

$$0.28^{+0.03}_{-0.07}$$

		Theory		
		Expt.	Particle vibration	Mean field
$^{11}\text{Be}_7$	$E_{s_{1/2}}$	-0.504 MeV	-0.48 MeV	~ 0.14 MeV
	$E_{p_{1/2}}$	-0.18 MeV	-0.27 MeV	-3.12 MeV
	$E_{d_{5/2}}$	1.28 MeV	~ 0 MeV	~ 2.4 MeV
	$S[1/2^+]$	0.65-0.80 [19] 0.73 \pm 0.06 [20] 0.77 [21]	0.87	1
	$S[1/2^-]$	0.63 \pm 0.15 [20] 0.96 [21]	0.96	1
	$S[5/2^+]$		0.72	1
$^{12}\text{Be}_8$	S_{2n}	-3.673 MeV	-3.58 MeV	-6.24 MeV
	s^2, p^2, d^2		23% ,29% ,48%	0% ,100% ,0%
	$S[1/2^+]$	0.42 \pm 0.10 [7]	0.31	0
	$S[1/2^-]$	0.37 \pm 0.10 [7]	0.57	2

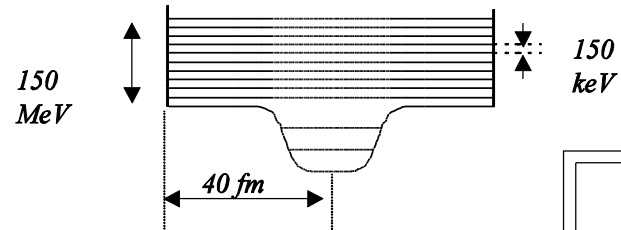
Theoretical calculation for ^{11}Li



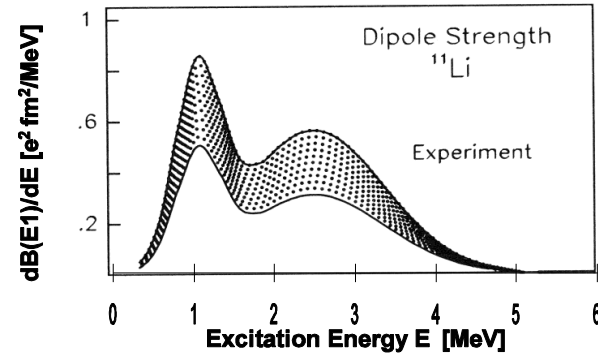
Low-lying dipole strength

s-p mixing

(Saxon - Woods + spin - orbit)



Vibrations



$$B(E2) \uparrow = [5.2 \pm 0.6] 10^{-3} e^2 b^2 \quad ({}^{10}\text{Be})$$

Bare interaction

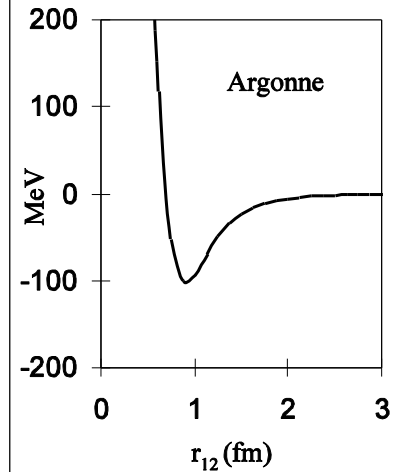


Table 2. RPA wave function of the collective low-lying quadrupole phonon in ^{11}Li , of energy $E_{2+} = 5.05$ MeV, and leading to the most important contribution to the induced interaction in fig. 1, II. All the listed amplitudes refer to neutron transitions, except for the last column. We have adopted the self-consistent value ($\chi_2 = 0.013 \text{ MeV}^{-1}$) for the coupling constant. The resulting value for the deformation parameter is $\beta_2 = 0.5$.

	$1p_{3/2}^{-1}1p_{1/2}$	$2s_{1/2}^{-1}5d_{3/2}$	$1p_{1/2}^{-1}6p_{3/2}$	$2s_{1/2}^{-1}3d_{5/2}$	$2s_{1/2}^{-1}5d_{5/2}$	$1p_{3/2}^{-1}1p_{1/2}$ (π)
X_{ph}	0.824	0.404	0.151	0.125	0.126	0.16
Y_{ph}	0.119	0.011	-0.002	-0.049	-0.011	0.07

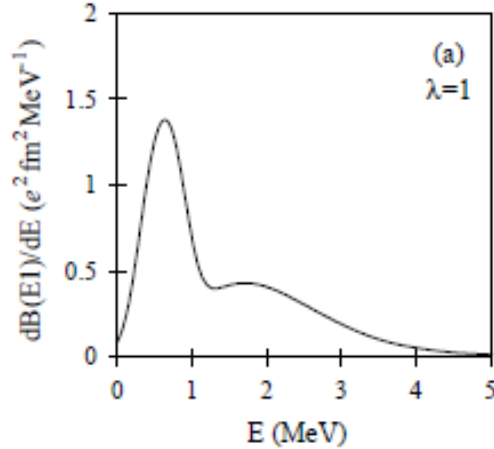
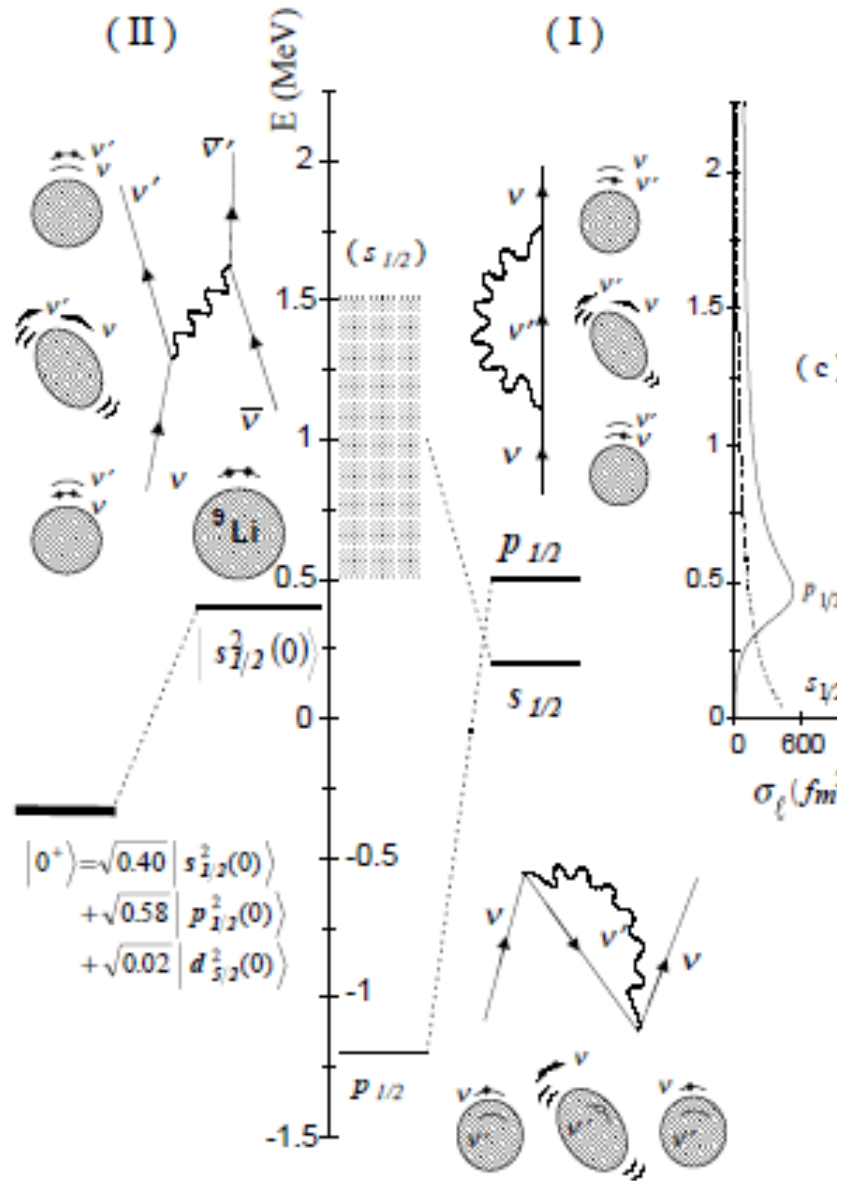


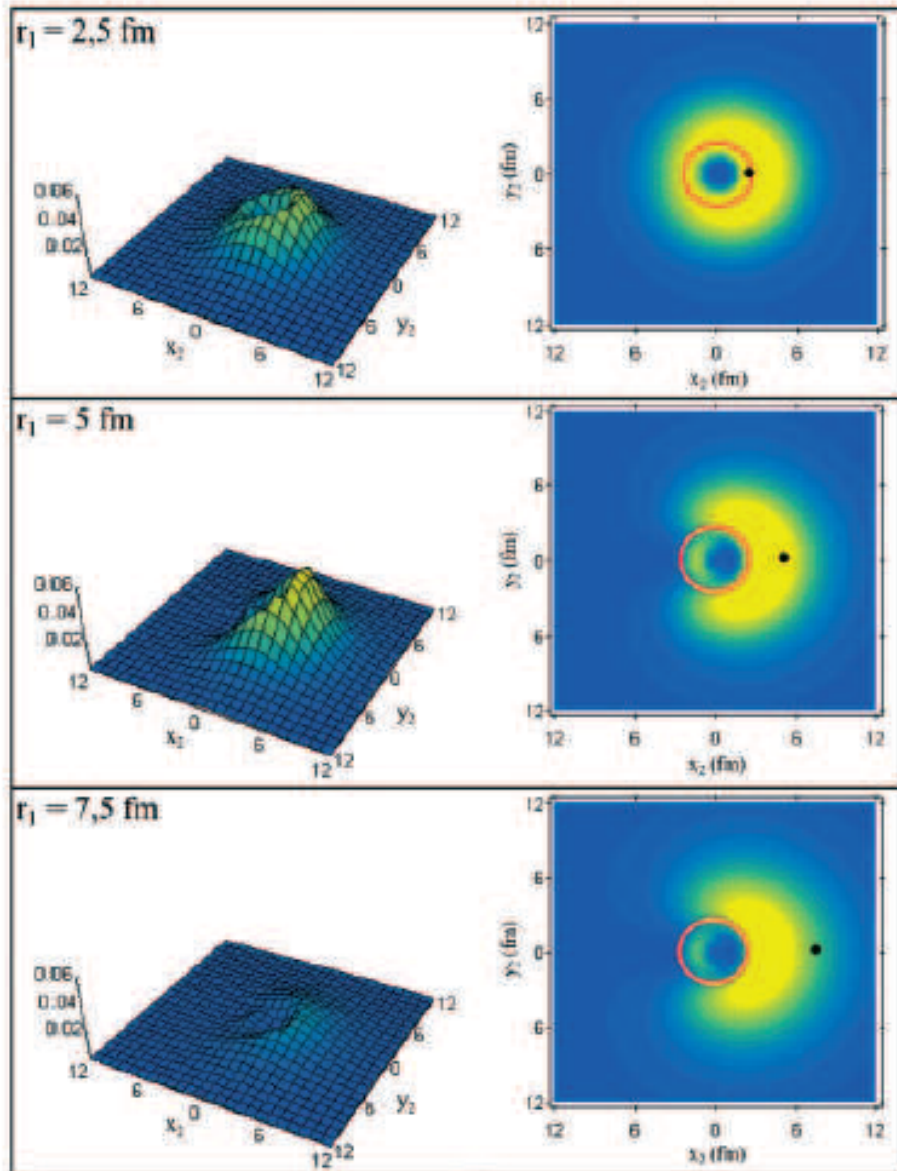
Table 3. RPA wave function of the strongest low-lying dipole vibration of ^{11}Li , ($E_{1-} = 0.75$ MeV), and contributing most importantly to the pairing induced interaction (fig. 1, II). All the listed amplitudes refer to neutron transitions. We have used the value $\chi_1 = 0.0043 \text{ MeV}^{-1}$ for the isovector coupling constant in order to get a good agreement with the experimental findings. To be noted that this value coincides within 25% close to the selfconsistent value of 0.0032 MeV^{-1} . The resulting strength function (cf. fig. 2(a)) integrated up to 4 MeV gives 7% of the Thomas-Reiche-Kuhn energy weighted sum rule, to be compared to the experimental value of 8% [38].

	$1p_{1/2}^{-1}2s_{1/2}$	$1p_{1/2}^{-1}3s_{1/2}$	$1p_{1/2}^{-1}4s_{1/2}$	$1p_{1/2}^{-1}1d_{3/2}$	$1p_{3/2}^{-1}5d_{5/2}$	$1p_{3/2}^{-1}6d_{5/2}$	$1p_{3/2}^{-1}7d_{5/2}$
X_{ph}	0.847	-0.335	0.244	0.165	0.197	0.201	0.157
Y_{ph}	0.088	0.060	0.088	0.008	0.165	0.173	0.138

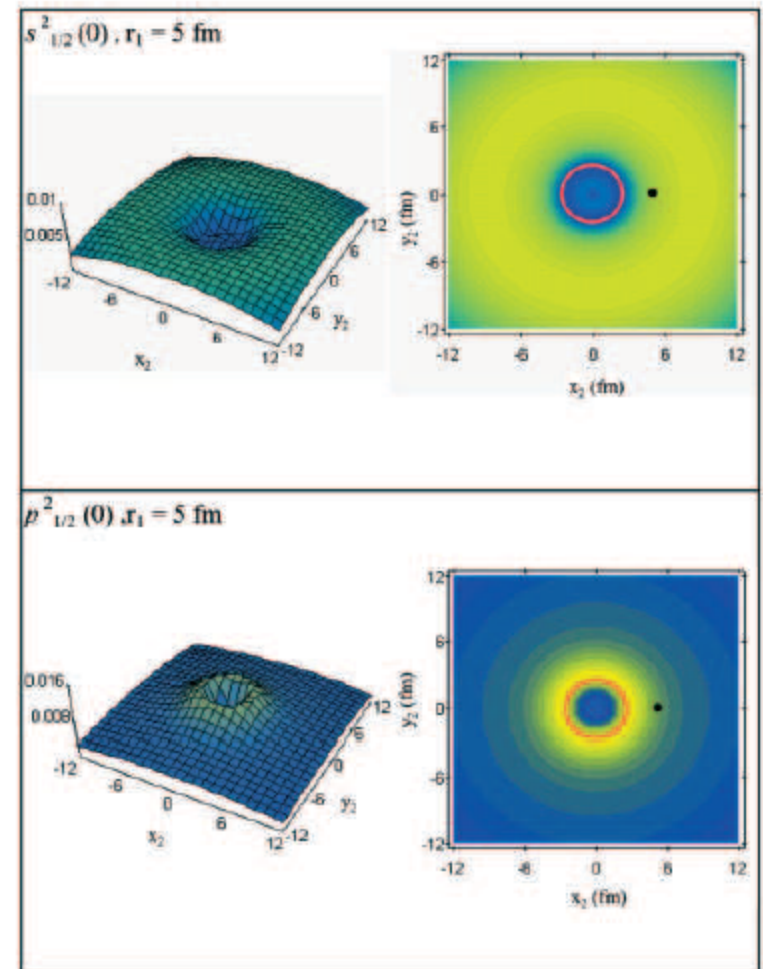


		Exp.	Theory	
			particle-vibration +Argonne	mean field
$^{10}\text{Li}_7$ (not bound)	s	0.1-0.2 MeV	0.2 MeV (virtual)	~ 1 MeV (virtual)
	p	0.5-0.6 MeV	0.5 MeV (res.)	-1.2 MeV (bound)
$^{11}\text{Li}_8$ (bound)	S_{2n}	$^{\dagger} 0.369$ MeV	0.33 MeV	2.4 MeV
	s^2, p^2	50% , 50%	41% , 59%	0% , 100%
	$\langle r^2 \rangle^{1/2}$	3.55 ± 0.1 fm	3.9 fm	
	Δp_{\perp}	48 ± 10 MeV/c	55 MeV/c	

Correlated halo wavefunction



Uncorrelated



Comparison with the model by Bertsch and Esbensen

OUR MODEL

Ann. Phys.209(1991)327
PRC56(1997)3054

Single-particle potential

Standard Bohr-Mottelson

Depth adjusted to experimental
 $p_{1/2}$ single particle energy

2-body interaction

Bare Argonne interaction+
particle-vibration coupling with
phenomenological parameters
(low-lying vibrations)

Strength fitted to S_{2n} in ^{12}Be

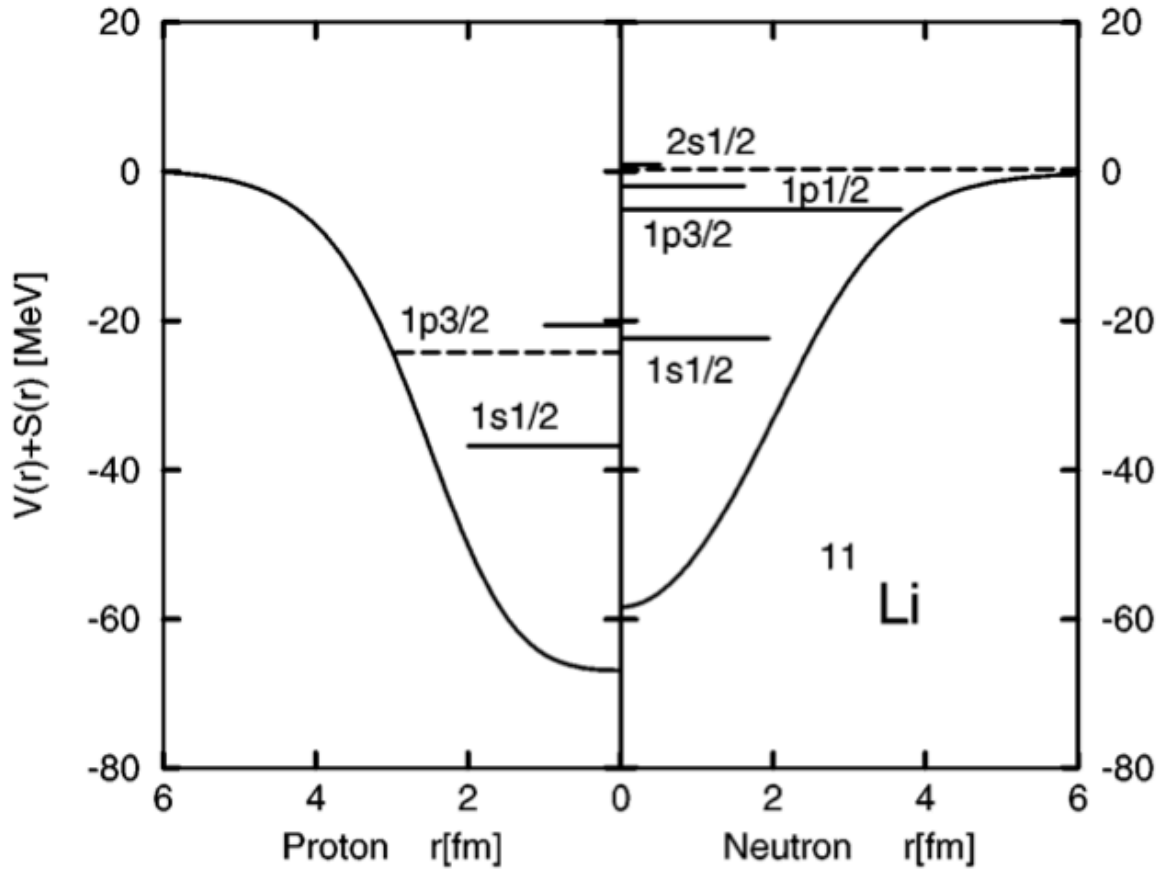
$$v_{\text{eff}}(\mathbf{r}_1, \mathbf{r}_2) = \delta(\mathbf{r}_1 - \mathbf{r}_2) \left(v_0 + v_\rho \left(\frac{\rho_c((\mathbf{r}_1 + \mathbf{r}_2)/2)}{\rho_0} \right)^p \right).$$

Results

Good reproduction of binding
energies in ^{12}Be and ^{11}Li
50% $(s_{1/2})^2$

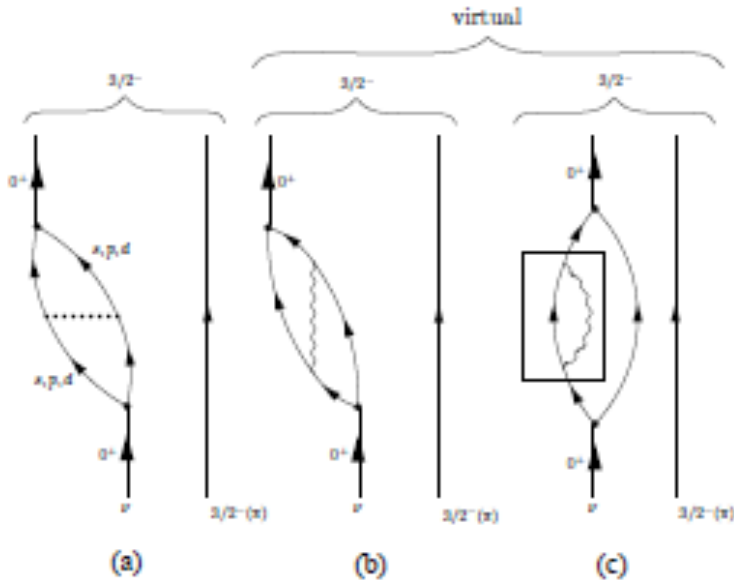
Good reproduction of binding energy
Low $(s_{1/2})^2$ admixture unless
two different s.p. potentials are used

Relativistic HB calculation



J. Meng and P. Ring,
PRL 77(1998)3963

How to probe the particle-phonon coupling?
Test the microscopic correlated wavefunction with phonon admixture



$$|\tilde{0}\rangle = |0\rangle + 0.7|(ps)_{1-} \otimes 1^-; 0\rangle + 0.1|(sd)_{2+} \otimes 2^+; 0\rangle$$

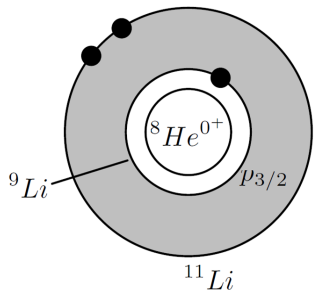
$$|0\rangle = 0.45|s_{1/2}^2(0)\rangle + 0.55|p_{1/2}^2(0)\rangle + 0.04|d_{5/2}^2(0)\rangle$$

Two-neutron transfer to

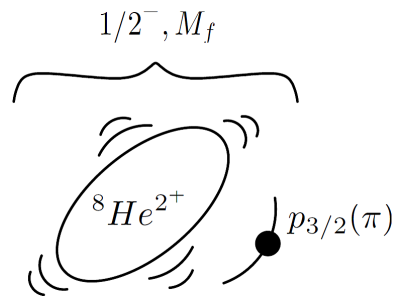
ground state

exc. state

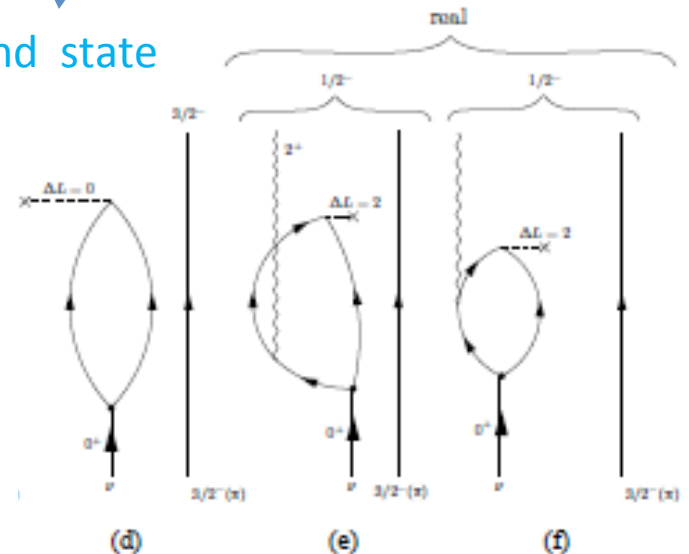
We will try to draw information about the halo structure of ^{11}Li from the reactions $^1\text{H}(^{11}\text{Li}, ^9\text{Li})^3\text{H}$ and $^1\text{H}(^{11}\text{Li}, ^9\text{Li}^*(2.69\text{ MeV}))^3\text{H}$ (I. Tanihata et al., Phys. Rev. Lett. **100**, 192502 (2008))



Schematic depiction of ^{11}Li



First excited state of ^9Li



Probing ^{11}Li halo-neutrons correlations via (p,t) reaction

PRL 100, 192502 (2008)

PHYSICAL REVIEW LETTERS

week ending
16 MAY 2008

Measurement of the Two-Halo Neutron Transfer Reaction $^1\text{H}(^{11}\text{Li}, ^9\text{Li})^3\text{H}$ at 3A MeV

I. Tanihata,^{*} M. Alcorta,[†] D. Bandyopadhyay, R. Bieri, L. Buchmann, B. Davids, N. Galinski, D. Howell,
W. Mills, S. Mythili, R. Openshaw, E. Padilla-Rodal, G. Ruprecht, G. Sheffer, A. C. Shotter,
M. Trinczek, and P. Walden

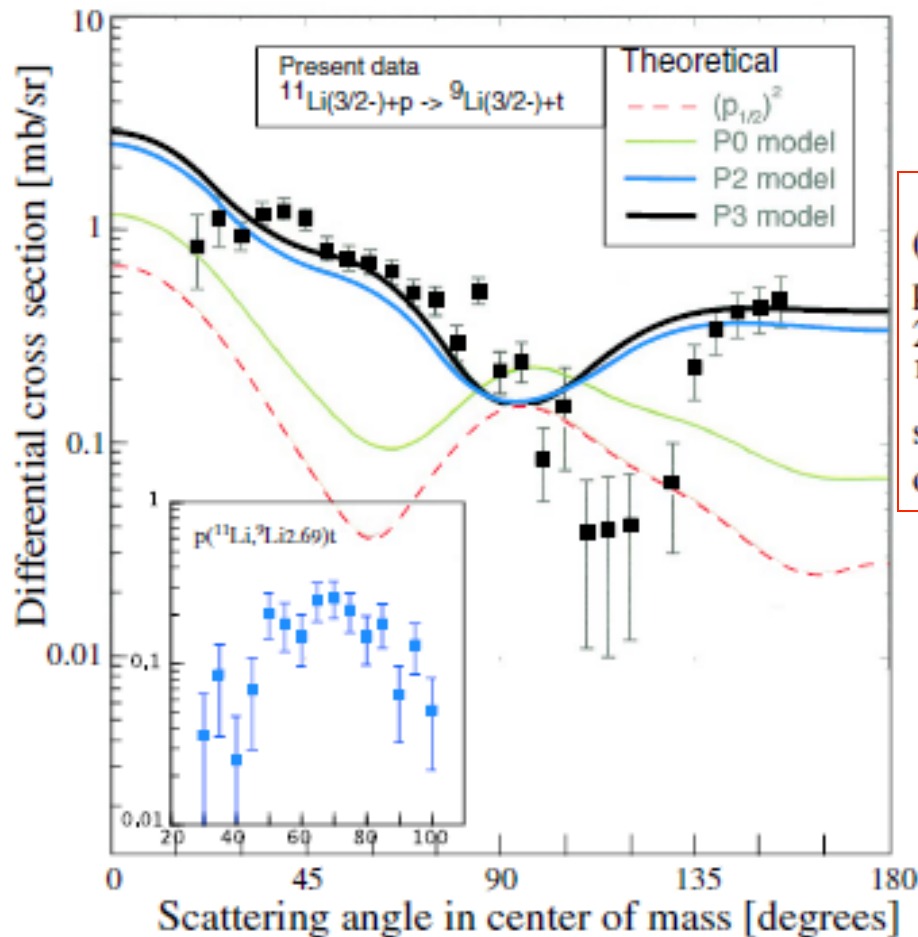
TRIUMF, 4004 Wesbrook Mall, Vancouver, BC, V6T 2A3, Canada

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(Received 22 January 2008; published 14 May 2008)



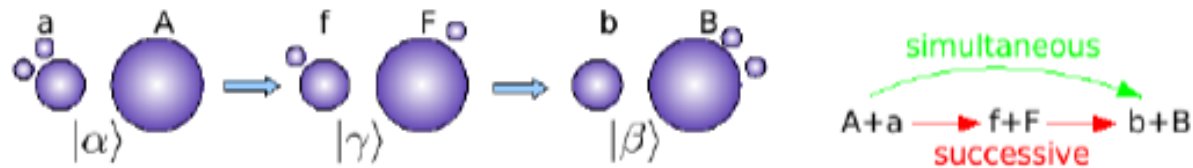
The cross section for transitions to the first excited state ($E_x = 2.69$ MeV) is shown also in Fig. 3. If this state were populated by a direct transfer, it would indicate that a 1^+ or 2^+ halo component is present in the ground state of $^{11}\text{Li}(\frac{3}{2}^-)$, because the spin-parity of the ^9Li first excited state is $\frac{1}{2}^-$. This is new information that has not yet been observed in any of previous investigations. A compound

TABLE I. Optical potential parameters used for the present calculations.

	V MeV	r_V fm	a_V fm	W MeV	W_D MeV	r_W fm	a_W fm	V_{so} MeV	r_{so} fm	a_{so} fm
$p + ^{11}\text{Li}$ [10]	54.06	1.17	0.75	2.37	16.87	1.32	0.82	6.2	1.01	0.75
$d + ^{10}\text{Li}$ [11]	85.8	1.17	0.76	1.117	11.863	1.325	0.731	0		
$t + ^9\text{Li}$ [12]	1.42	1.16	0.78	28.2	0	1.88	0.61	0		

Calculation of absolute two-nucleon transfer cross section by finite-range DWBA calculation

simultaneous and successive contributions



the initial and final channel wave functions are

$$|\alpha\rangle = \phi_a(\xi_b, \mathbf{r}_1, \mathbf{r}_2)\phi_A(\xi_A)\chi_{aA}(\mathbf{r}_{aA})$$

$$|\beta\rangle = \phi_b(\xi_b)\phi_B(\xi_A, \mathbf{r}_1, \mathbf{r}_2)\chi_{bB}(\mathbf{r}_{bB})$$

very schematically, the *first order (simultaneous)* contribution is

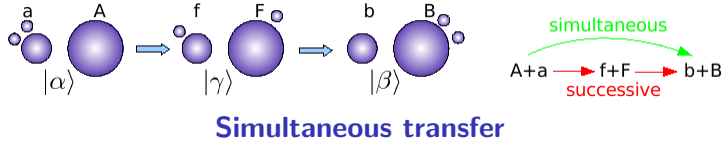
$$T^{(1)} = \langle\beta|V|\alpha\rangle,$$

while the second order contribution can be separated in a *successive* and a *non-orthogonality* term

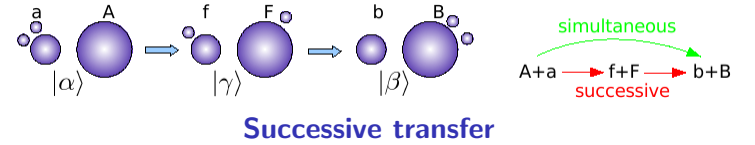
$$T^{(2)} = T_{succ}^{(2)} + T_{NO}^{(2)}$$

$$= \sum_{\gamma} \langle\beta|V|\gamma\rangle G\langle\gamma|V|\alpha\rangle - \sum_{\gamma} \langle\beta|\gamma\rangle\langle\gamma|V|\alpha\rangle.$$

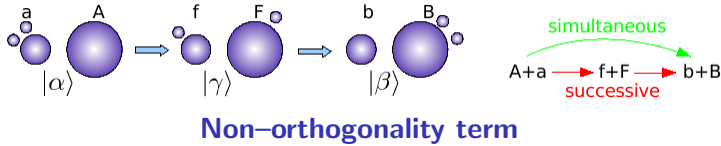
B.F. Bayman and J. Chen,
Phys. Rev. C 26 (1982) 150
M. Igarashi, K. Kubo and K.
Yagi, Phys. Rep. 199 (1991) 1
G. Potel et al., arXiv:
0906.4298



$$T^{(1)}(j_i, j_f) = 2 \sum_{\sigma_1 \sigma_2} \int d\mathbf{r}_{fF} d\mathbf{r}_{b1} d\mathbf{r}_{A2} [\Psi^{j_f}(\mathbf{r}_{A1}, \sigma_1) \Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2)]_0^{0*} \chi_{bB}^{(-)*}(\mathbf{r}_{b1}) \\ \times v(\mathbf{r}_{b1}) [\Psi^{j_i}(\mathbf{r}_{b1}, \sigma_1) \Psi^{j_i}(\mathbf{r}_{b2}, \sigma_2)]_0^0 \chi_{aA}^{(+)}(\mathbf{r}_{aA})$$



$$T_{succ}^{(2)}(j_i, j_f) = 2 \sum_{K, M} \sum_{\substack{\sigma_1 \sigma_2 \\ \sigma'_1 \sigma'_2}} \int d\mathbf{r}_{fF} d\mathbf{r}_{b1} d\mathbf{r}_{A2} [\Psi^{j_f}(\mathbf{r}_{A1}, \sigma_1) \Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2)]_0^{0*} \\ \times \chi_{bB}^{(-)*}(\mathbf{r}_{bB}) v(\mathbf{r}_{b1}) [\Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2) \Psi^{j_i}(\mathbf{r}_{b1}, \sigma_1)]_M^K \\ \times \int d\mathbf{r}'_{fF} d\mathbf{r}'_{b1} d\mathbf{r}'_{A2} G(\mathbf{r}_{fF}, \mathbf{r}'_{fF}) [\Psi^{j_f}(\mathbf{r}'_{A2}, \sigma'_2) \Psi^{j_i}(\mathbf{r}'_{b1}, \sigma'_1)]_M^K \\ \times \frac{2\mu_{fF}}{\hbar^2} v(\mathbf{r}'_{f2}) [\Psi^{j_i}(\mathbf{r}'_{A2}, \sigma'_2) \Psi^{j_i}(\mathbf{r}'_{b1}, \sigma'_1)]_0^0 \chi_{aA}^{(+)}(\mathbf{r}'_{aA})$$



$$T_{NO}^{(2)}(j_i, j_f) = 2 \sum_{K, M} \sum_{\substack{\sigma_1 \sigma_2 \\ \sigma'_1 \sigma'_2}} \int d\mathbf{r}_{fF} d\mathbf{r}_{b1} d\mathbf{r}_{A2} [\Psi^{j_f}(\mathbf{r}_{A1}, \sigma_1) \Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2)]_0^{0*} \\ \times \chi_{bB}^{(-)*}(\mathbf{r}_{bB}) v(\mathbf{r}_{b1}) [\Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2) \Psi^{j_i}(\mathbf{r}_{b1}, \sigma_1)]_M^K \\ \times \int d\mathbf{r}'_{b1} d\mathbf{r}'_{A2} [\Psi^{j_f}(\mathbf{r}'_{A2}, \sigma'_2) \Psi^{j_i}(\mathbf{r}'_{b1}, \sigma'_1)]_M^K \\ \times [\Psi^{j_i}(\mathbf{r}'_{A2}, \sigma'_2) \Psi^{j_i}(\mathbf{r}'_{b1}, \sigma'_1)]_0^0 \chi_{aA}^{(+)}(\mathbf{r}'_{aA})$$

$$T^{(1)}(j_i, j_f) = 2 \sum_{\sigma_1 \sigma_2} \int d\mathbf{r}_{fF} d\mathbf{r}_{b1} d\mathbf{r}_{A2} [\Psi^{j_f}(\mathbf{r}_{A1}, \sigma_1) \Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2)]_0^{0*} \chi_{bB}^{(-)*}(\mathbf{r}_{bB}) \\ \times v(\mathbf{r}_{b1}) [\Psi^{j_i}(\mathbf{r}_{b1}, \sigma_1) \Psi^{j_i}(\mathbf{r}_{b2}, \sigma_2)]_0^0 \chi_{aA}^{(+)}(\mathbf{r}_{aA}),$$

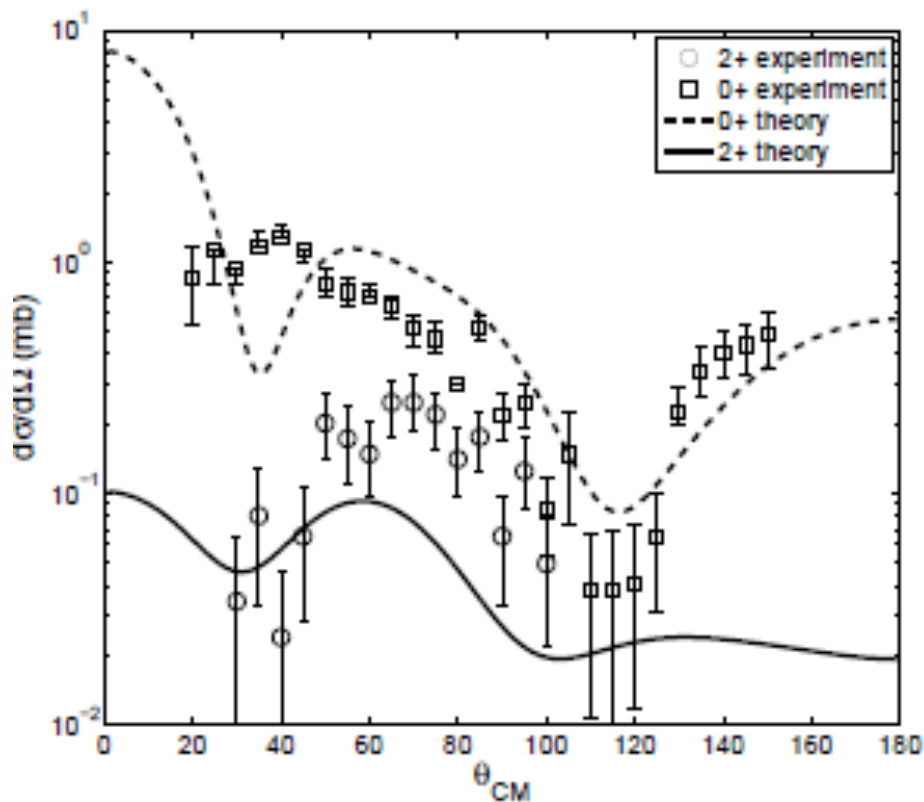
Simultaneous

$$T_{succ}^{(2)}(j_i, j_f) = 2 \sum_{K,M} \sum_{\substack{\sigma_1 \sigma_2 \\ \sigma'_1 \sigma'_2}} \int d\mathbf{r}_{fF} d\mathbf{r}_{b1} d\mathbf{r}_{A2} [\Psi^{j_f}(\mathbf{r}_{A1}, \sigma_1) \Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2)]_0^{0*} \\ \times \chi_{bB}^{(-)*}(\mathbf{r}_{bB}) v(\mathbf{r}_{b1}) [\Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2) \Psi^{j_i}(\mathbf{r}_{b1}, \sigma_1)]_M^K \\ \times \int d\mathbf{r}'_{fF} d\mathbf{r}'_{b1} d\mathbf{r}'_{A2} G(\mathbf{r}_{fF}, \mathbf{r}'_{fF}) [\Psi^{j_f}(\mathbf{r}'_{A2}, \sigma'_2) \Psi^{j_i}(\mathbf{r}'_{b1}, \sigma'_1)]_M^K \\ \times \frac{2\mu_{fF}}{\hbar^2} v(\mathbf{r}'_{f2}) [\Psi^{j_i}(\mathbf{r}'_{A2}, \sigma'_2) \Psi^{j_i}(\mathbf{r}'_{b1}, \sigma'_1)]_0^0 \chi_{aA}^{(+)}(\mathbf{r}'_{aA}),$$

Successive

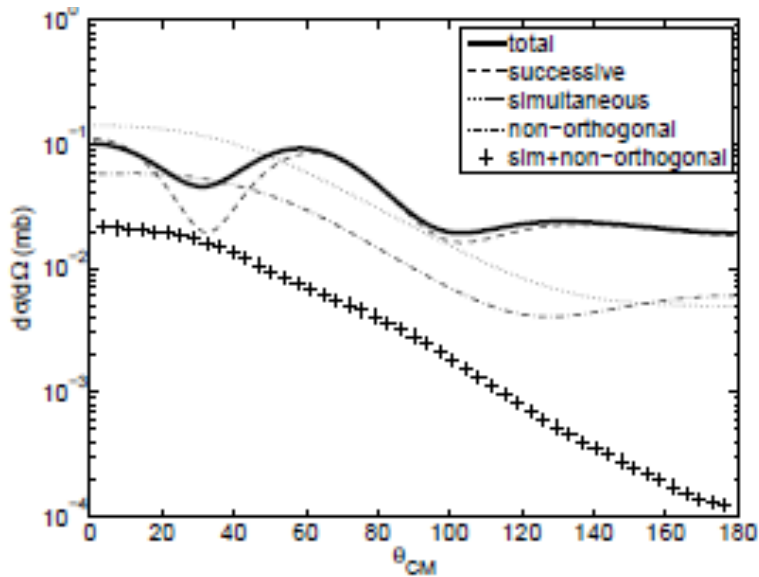
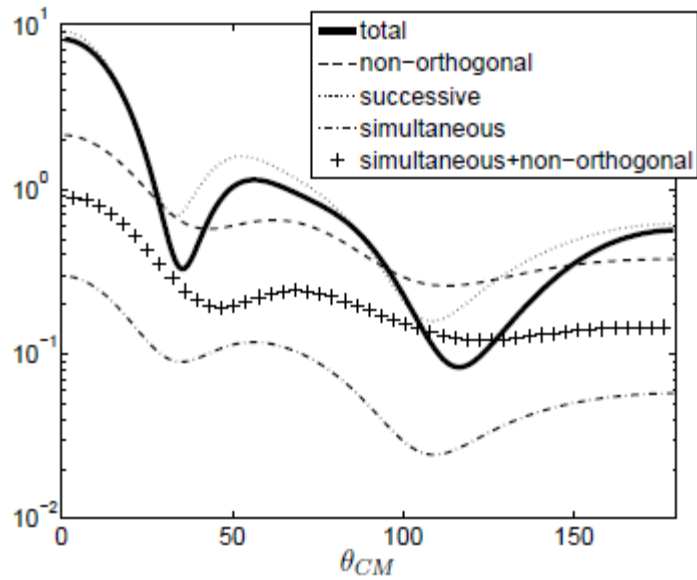
$$T_{NO}^{(2)}(j_i, j_f) = 2 \sum_{K,M} \sum_{\substack{\sigma_1 \sigma_2 \\ \sigma'_1 \sigma'_2}} \int d\mathbf{r}_{fF} d\mathbf{r}_{b1} d\mathbf{r}_{A2} [\Psi^{j_f}(\mathbf{r}_{A1}, \sigma_1) \Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2)]_0^{0*} \\ \times \chi_{bB}^{(-)*}(\mathbf{r}_{bB}) v(\mathbf{r}_{b1}) [\Psi^{j_f}(\mathbf{r}_{A2}, \sigma_2) \Psi^{j_i}(\mathbf{r}_{b1}, \sigma_1)]_M^K \\ \times \int d\mathbf{r}'_{b1} d\mathbf{r}'_{A2} [\Psi^{j_f}(\mathbf{r}'_{A2}, \sigma'_2) \Psi^{j_i}(\mathbf{r}'_{b1}, \sigma'_1)]_M^K \\ \times [\Psi^{j_i}(\mathbf{r}'_{A2}, \sigma'_2) \Psi^{j_i}(\mathbf{r}'_{b1}, \sigma'_1)]_0^0 \chi_{aA}^{(+)}(\mathbf{r}'_{aA}).$$

Non orthogonal

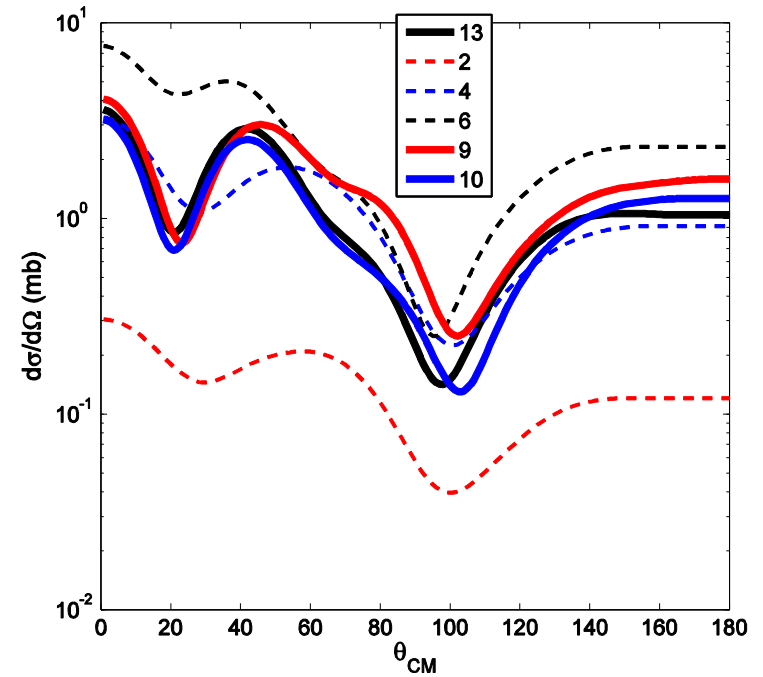


	$\sigma(^{11}\text{Li}(\text{gs}) \rightarrow ^9\text{Li}(\text{i}))$ (mb)		
i	ΔL	Theory	Experiment
gs ($3/2^-$)	0	6.1	5.7 ± 0.9
2.69 MeV ($1/2^-$)	2	0.5	1.0 ± 0.36

Decomposition into successive and simultaneous contributions



Convergence of the calculation of successive transfer

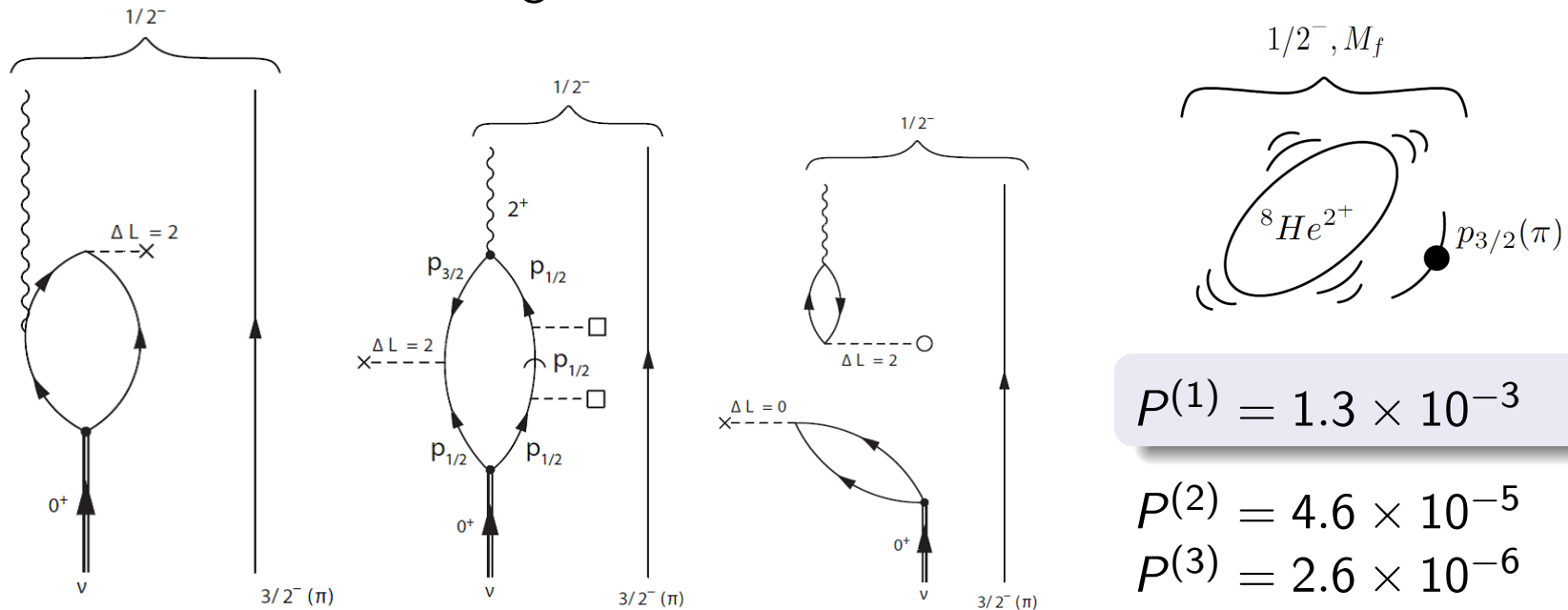


Channels c leading to the first $1/2^-$ excited state of ${}^9\text{Li}$

$c = 1$: Transfer of the **two halo neutrons**

$c = 2$: Transfer of a $p_{1/2}$ halo neutron and a $p_{3/2}$ core neutron

$c = 3$: Transfer to the ground state + **inelastic excitation**



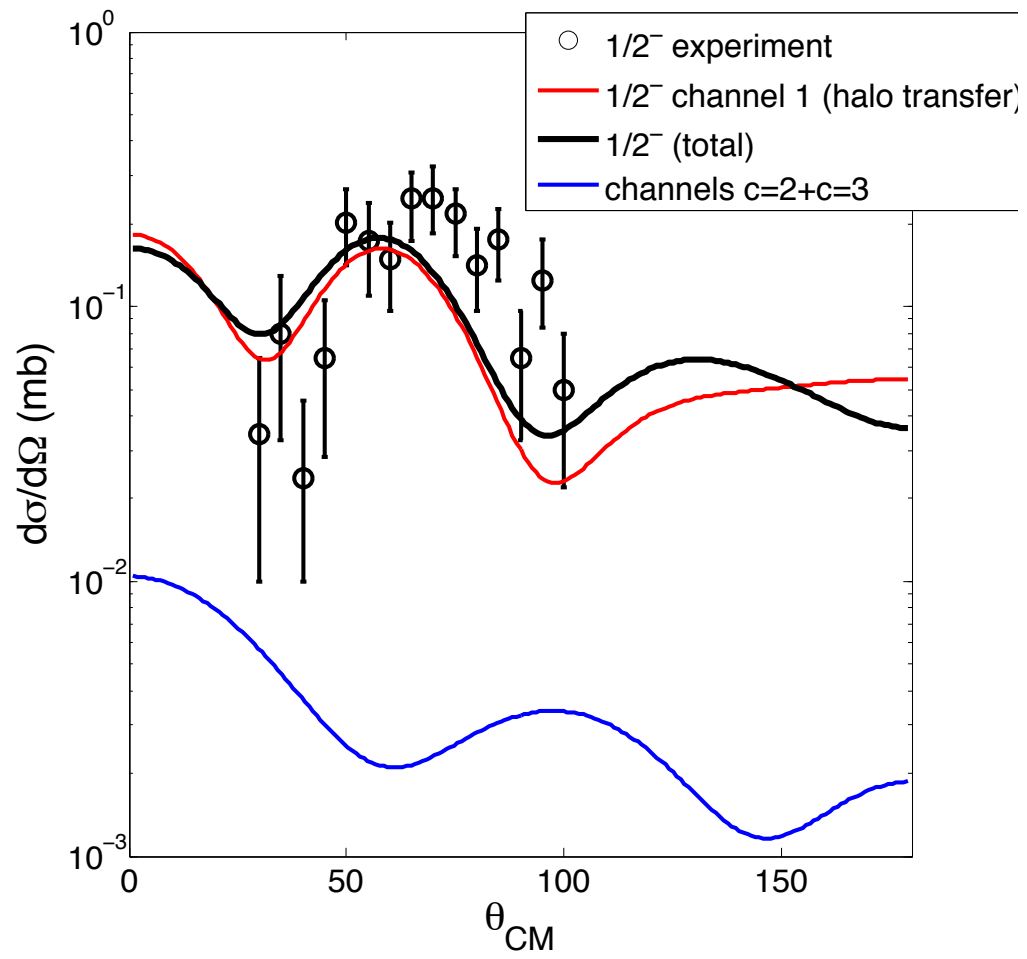
$$P(1) = 1.3 \times 10^{-3}$$

$$P(2) = 4.6 \times 10^{-5}$$

$$P(3) = 2.6 \times 10^{-6}$$

$$\sigma_c = \frac{\pi}{k^2} \sum_l (2l + 1) |S_l^{(c)}|^2, \quad P^{(c)} = \sum_l |S_l^{(c)}|^2 \quad (c = 1, 2, 3).$$

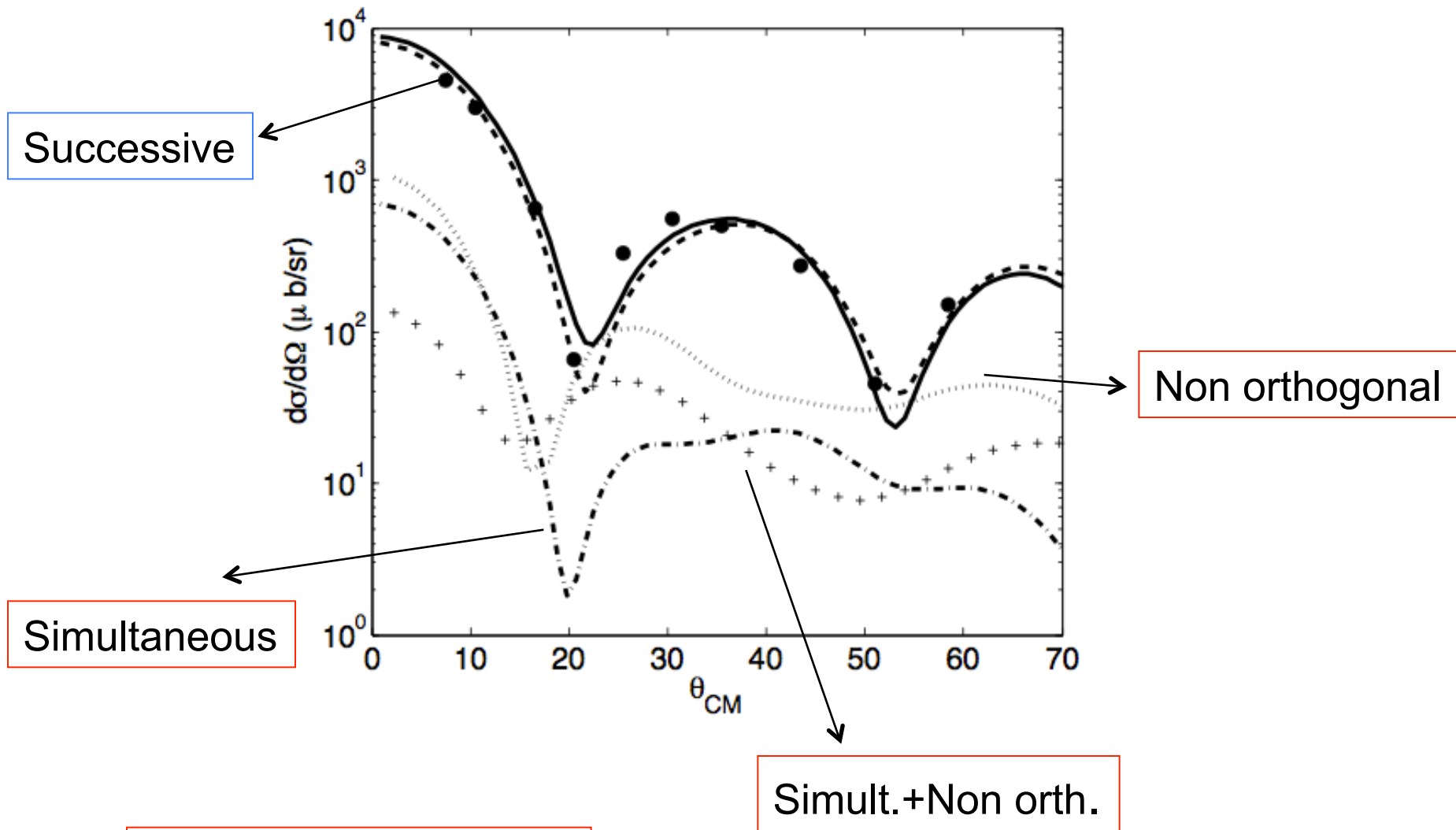
Small probabilities \Rightarrow use of **second order perturbation theory**.



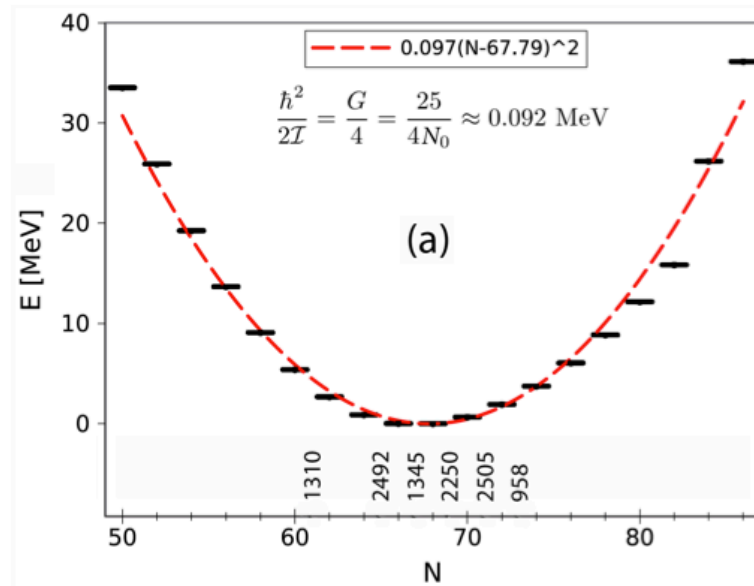
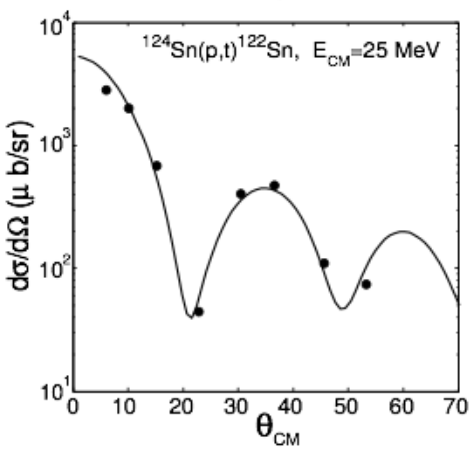
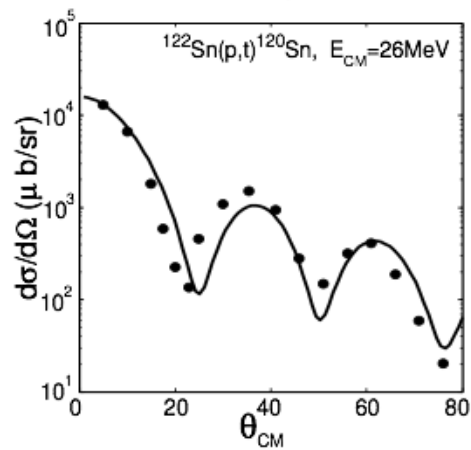
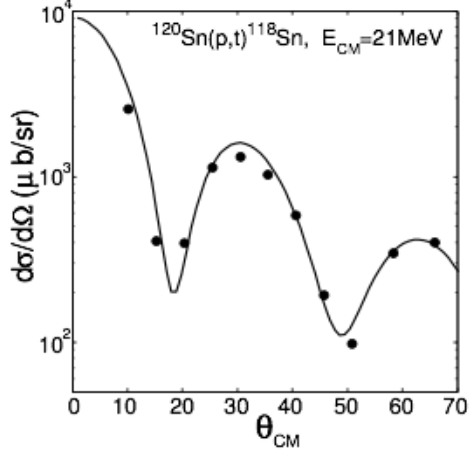
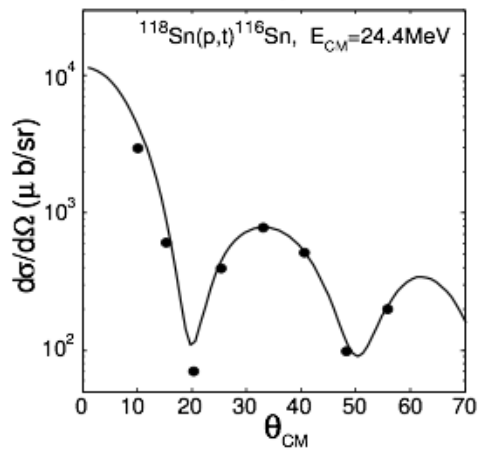
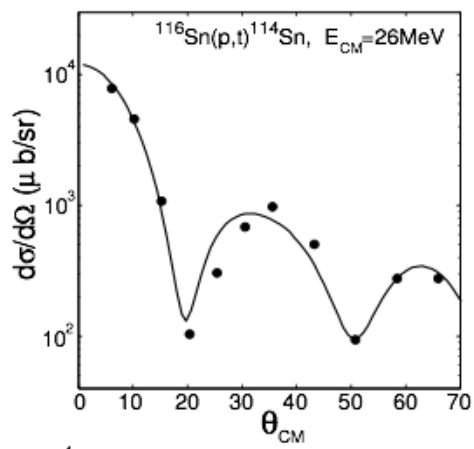
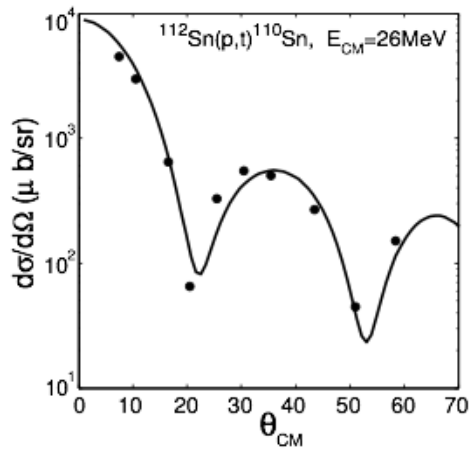
summary and conclusions

- A recent **two-neutron transfer** experiment ($^1\text{H}(^{11}\text{Li}, ^9\text{Li})^3\text{H}$, Tanihata *et al.*, 2008) provided new insight in the **structure of ^{11}Li** .
- We show that the differential cross section is quantitatively consistent with the ***s-p* mixing in the ground state of ^{11}Li** already predicted (see e.g. Barranco *et al.* 2001).
- We found that the differential cross section for the excitation of the first $1/2^-$ (2.69 MeV) provides evidence of **phonon-mediated pairing** between the two halo neutrons of ^{11}Li .

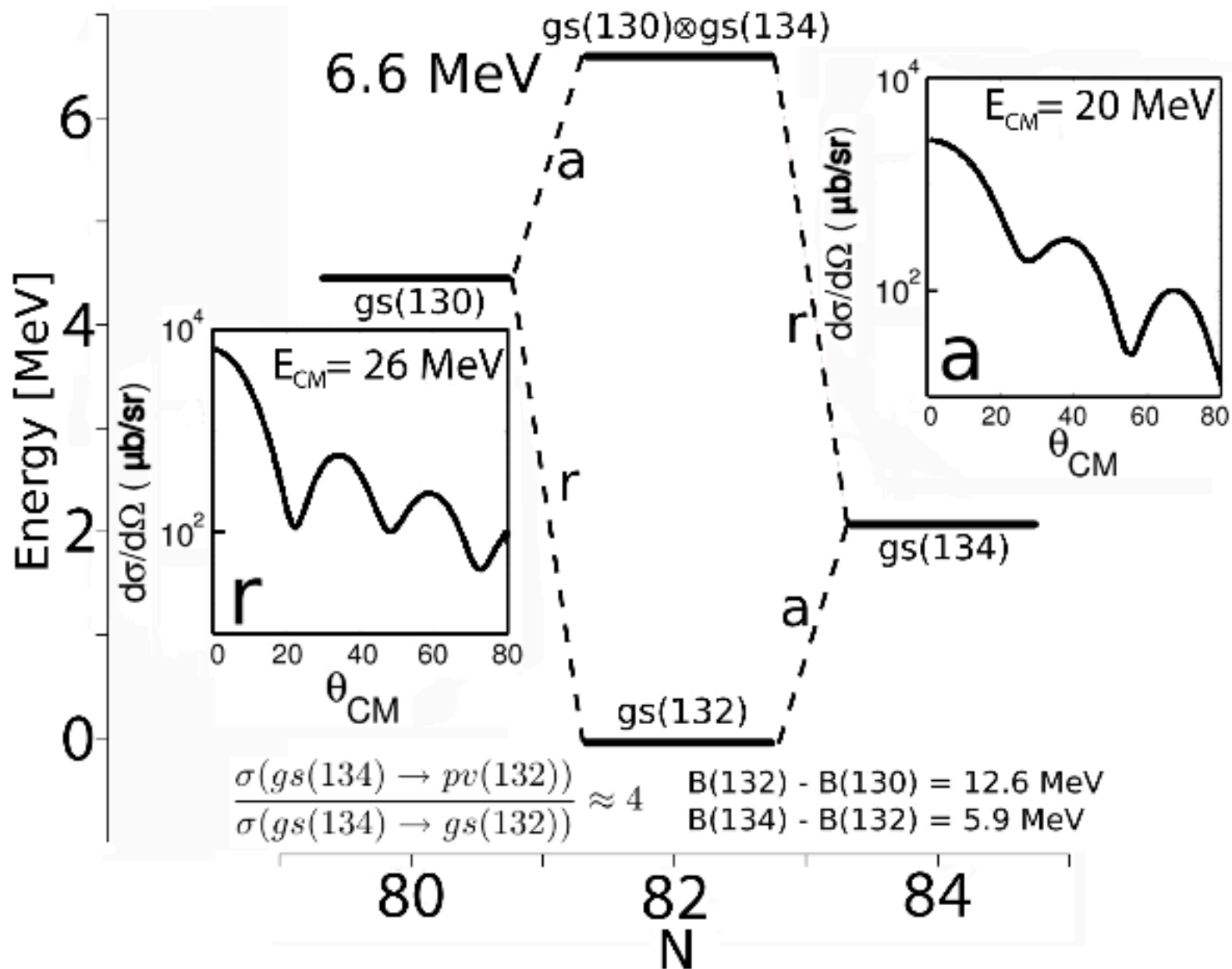
$^{122}\text{Sn}(p,t)^{120}\text{Sn}$ $E_{\text{lab}} = 26 \text{ MeV}$

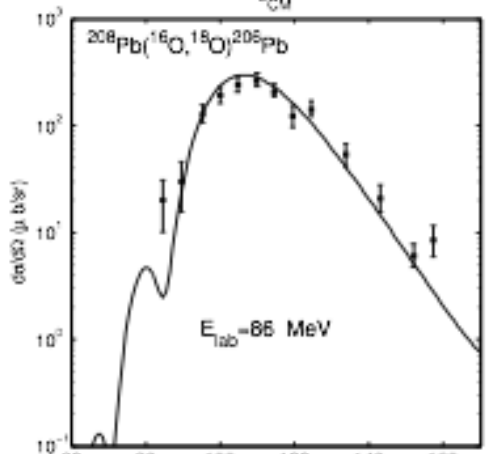
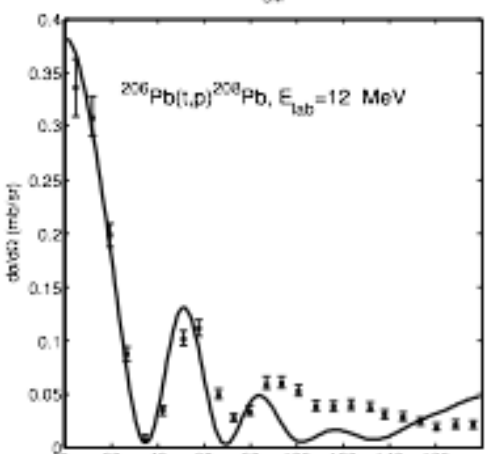
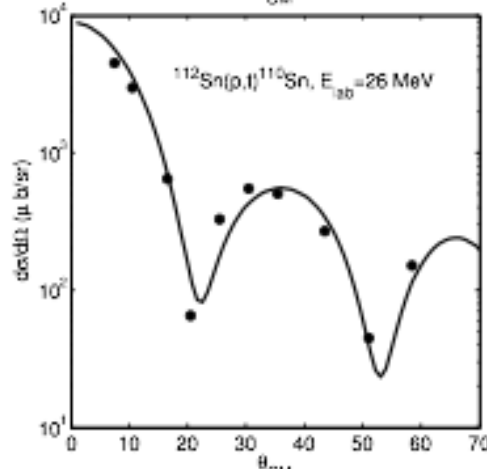
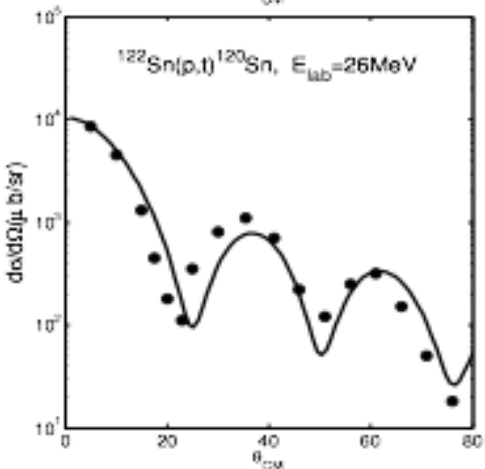
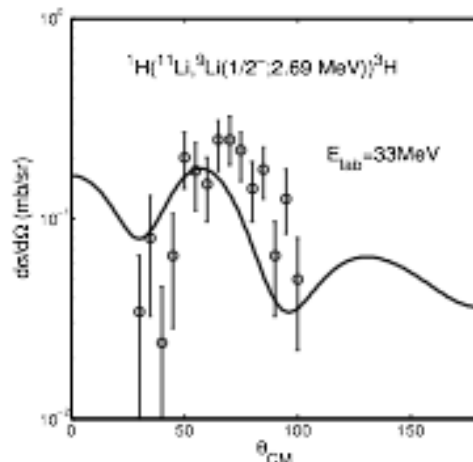
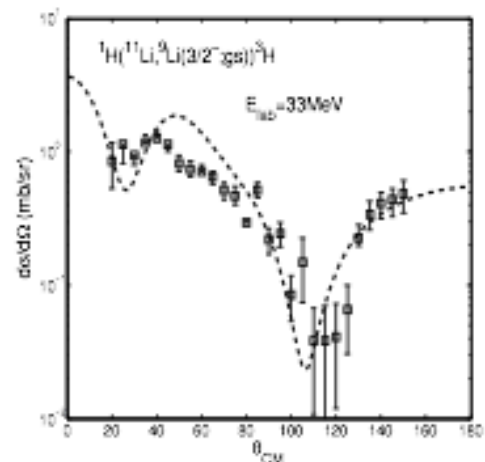


$$B_j = \sqrt{j+1/2} U_j V_j$$



G. Potel et al.,
nucl-th/1105.6250





A recent analysis of various two-neutron transfer reactions Based on second order DWBA reproduces absolute cross sections

G. Potel et al., nucl_th/0906.4298